

Package ‘WRestimates’

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Type Package

Title Sample Size, Power and CI for the Win Ratio

Version 0.1.0

Description Calculates non-parametric estimates of the sample size, power and confidence intervals for the win-ratio. For more detail on the theory behind the methodologies implemented see Yu, R. X. and Ganju, J. (2022) <[doi:10.1002/sim.9297](https://doi.org/10.1002/sim.9297)>.

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Author Autumn O'Donnell [aut, cre, cph]

Maintainer Autumn O'Donnell <autumn.research@gmail.com>

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wr.ci*Confidence Interval (CI) for Win Ratio***Description**

Calculate the confidence interval for a win ratio.

$$CI = \exp((\ln(WR) + / - Z\sqrt{var})$$

Where;

$\ln(WR)$ = Natural log of the true or assumed win ratio.

Z = Z-score from normal distribution.

\sqrt{var} = Standard deviation of the natural log of the win ratio.

Usage

```
wr.ci(WR = 1, Z = 1.96, var.ln.WR, N, sigma.sqr, k, p.tie)
```

Arguments

WR	Win ratio; Default: WR = 1 for an assumed true win ratio where H₀ is assumed true.
Z	Z-score from normal distribution; Default: Z = 1.96 for a 95% CI.
var.ln.WR	Variance of the natural log (\ln) of the win ratio.
N	Sample size.
sigma.sqr	Population variance of the natural log (\ln) of the win ratio.
k	The proportion of subjects allocated to one group i.e. the proportion of patients allocated to treatment.
p.tie	The proportion of ties.

Value

`wr.ci` returns an object of class "list" containing the following components:

ci	The confidence interval of a win ratio.
WR	The win ratio.
Z	Z-score from normal distribution.
var.ln.WR	Variance of the natural log (\ln) of the win ratio.
N	Sample size.
sigma.sqr	Population variance of the natural log (\ln) of the win ratio.
k	The proportion of subjects allocated to one group.
p.tie	The proportion of ties.

Author(s)

Autumn O'Donnell <autumn.research@gmail.com>

References

Yu, R. X. and Ganju, J. (2022). Sample size formula for a win ratio endpoint. *Statistics in medicine*, 41(6), 950-963. doi:10.1002/sim.9297.

See Also

[wr.sigma.sqr](#); [wr.var](#)

Examples

```
## N = 100 patients, 1:1 allocation, one-sided alpha = 2.5%, power = 90%
## (beta = 10%), a small proportion of ties p.tie = 0.1, and 50% more wins
## on treatment than control.

### Calculation 95% CI
wr.ci(N = 100, WR = 1.5, k = 0.5, p.tie = 0.1)
```

[wr.power](#)

Power of a Win Ratio

Description

Calculate the power of a win ratio.

$$\text{Power} = 1 - \Phi(Z[\alpha] - \ln(WR[\text{true}])(\sqrt{N}/\sigma))$$

Usage

```
wr.power(N, alpha = 0.025, WR.true = 1, sigma.sqr, k, p.tie)
```

Arguments

N	Sample size.
alpha	Level of significance (Type I error rate); Default: $\alpha = 0.025$.
WR.true	True or assumed win ratio; Default: <code>WR.true = 1</code> where $H_{<\sub>0</sub>}$ is assumed true.
sigma.sqr	Population variance of the natural log (\ln) of the win ratio.
k	The proportion of subjects allocated to one group i.e. the proportion of patients allocated to treatment.
p.tie	The proportion of ties.

Value

`wr.power` returns an object of `class "list"` containing the following components:

<code>power</code>	Power of the win ratio.
<code>N</code>	Sample size.
<code>alpha</code>	Level of significance.
<code>WR.true</code>	True or assumed win ratio.
<code>sigma.sqr</code>	Population variance of the natural log (<i>ln</i>) of the win ratio.
<code>k</code>	The proportion of subjects allocated to one group.
<code>p.tie</code>	The proportion of ties.

Author(s)

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References

Yu, R. X. and Ganju, J. (2022). Sample size formula for a win ratio endpoint. *Statistics in medicine*, 41(6), 950-963. doi: 10.1002/sim.9297.

See Also

[wr.sigmac.sqr](#)

Examples

```
## N = 100 patients, 1:1 allocation, one-sided alpha = 2.5%, small
## proportion of ties p.tie = 0.1, and 50% more wins on treatment
## than control.

### Calculate the Power
wr.power(N = 100, WR.true = 1.5, k = 0.5, p.tie = 0.1)
```

`wr.sigma.sqr`

Assumed Population Variance of a Win Ratio

Description

Calculate the assumed population variance of a win ratio.

$$\sigma^2 = (4 * (1 + p[tie])) / (3 * k * (1 - k) * (1 - p[tie]))$$

Where;

$p[tie]$ = The proportion of ties.

k = The proportion of subjects allocated to one group.

Usage

```
wr.sigma.sqr(k, p.tie)
```

Arguments

- k** The proportion of subjects allocated to one group i.e. the proportion of patients allocated to treatment.
- p.tie** The proportion of ties.

Value

`wr.sigma.sqr` returns an object of [class "list"](#) containing the following components:

- sigma.sqr** Population variance of the natural log (\ln) of the win ratio.
- k** The proportion of subjects allocated to one group.
- p.tie** The proportion of ties.

Author(s)

Autumn O'Donnell <autumn.research@gmail.com>

References

Yu, R. X. and Ganju, J. (2022). Sample size formula for a win ratio endpoint. *Statistics in medicine*, 41(6), 950-963. doi: 10.1002/sim.9297.

See Also

[wr.var](#)

[wr.ss](#)

Approximate Sample Size of a Win Ratio

Description

Calculates the approximate required sample size of a win ratio.

$$N = (\sigma^2 * (Z[1 - \alpha] + Z[1 - \beta])^2) / (\ln^2(WR[true]))$$

Usage

```
wr.ss(alpha = 0.025, beta = 0.1, WR.true = 1, k, p.tie, sigma.sqr)
```

Arguments

<code>alpha</code>	Level of significance (Type I error rate); Default: $\alpha = 0.025$.
<code>beta</code>	Type II error rate; Default: $\beta = 0.1$.
<code>WR.true</code>	True or assumed win ratio; Default: <code>WR.true = 1</code> where $H_{0</sub>>0</sub>}$ is assumed true.
<code>k</code>	The proportion of subjects allocated to one group i.e. the proportion of patients allocated to treatment.
<code>p.tie</code>	The proportion of ties.
<code>sigma.sqr</code>	Population variance of the natural log (\ln) of the win ratio.

Value

`wr.ss` returns an object of [class "list"](#) containing the following components:

<code>N</code>	Sample size.
<code>alpha</code>	Level of significance (Type I error rate).
<code>beta</code>	Type II error rate.
<code>WR.true</code>	True or assumed win ratio.
<code>k</code>	The proportion of subjects allocated to one group.
<code>p.tie</code>	The proportion of ties.
<code>sigma.sqr</code>	Population variance of the natural log (\ln) of the win ratio.

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References

Yu, R. X. and Ganju, J. (2022). Sample size formula for a win ratio endpoint. *Statistics in medicine*, 41(6), 950-963. doi: 10.1002/sim.9297.

See Also

[wr.sigma.sqr](#)

Examples

```
## 1:1 allocation, one-sided alpha = 2.5%, power = 90% (beta = 10%),
## a small proportion of ties p.tie = 0.1, and 50% more wins on treatment
## than control

### Calculate Sample Size
wr.ss(WR.true = 1.5, k = 0.5, p.tie = 0.1)
```

wr.var*Approximate Variance of the Natural Log (ln) of the Win Ratio.***Description**

Calculating the approximate variance of the natural log (*ln*) a win ratio.

$$Var(\ln(WR)) \ \sigma^2/N$$

Where;

$$\sigma^2 = (4 * (1 + p[tie])) / (3 * k * (1 - k) * (1 - p[tie]))$$

Usage

```
wr.var(N, sigma.sqr, k, p.tie)
```

Arguments

N	Sample size.
sigma.sqr	Population variance of the natural log (<i>ln</i>) of the win ratio.
k	The proportion of subjects allocated to one group i.e. the proportion of patients allocated to treatment.
p.tie	The proportion of ties.

Value

`wr.var` returns an object of [class "list"](#) containing the following components:

var.ln.WR	Approximate variance of the natural log (<i>ln</i>) a win ratio.
N	Sample size.
sigma.sqr	Population variance of the natural log (<i>ln</i>) of the win ratio.
k	The proportion of subjects allocated to one group.
p.tie	The proportion of ties.

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References

Yu, R. X. and Ganju, J. (2022). Sample size formula for a win ratio endpoint. *Statistics in medicine*, 41(6), 950-963. doi: 10.1002/sim.9297.

See Also

[wr.sigma.sqr](#)

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